

Continuous Edge Gradient-Based Template Matching for Articulated Objects

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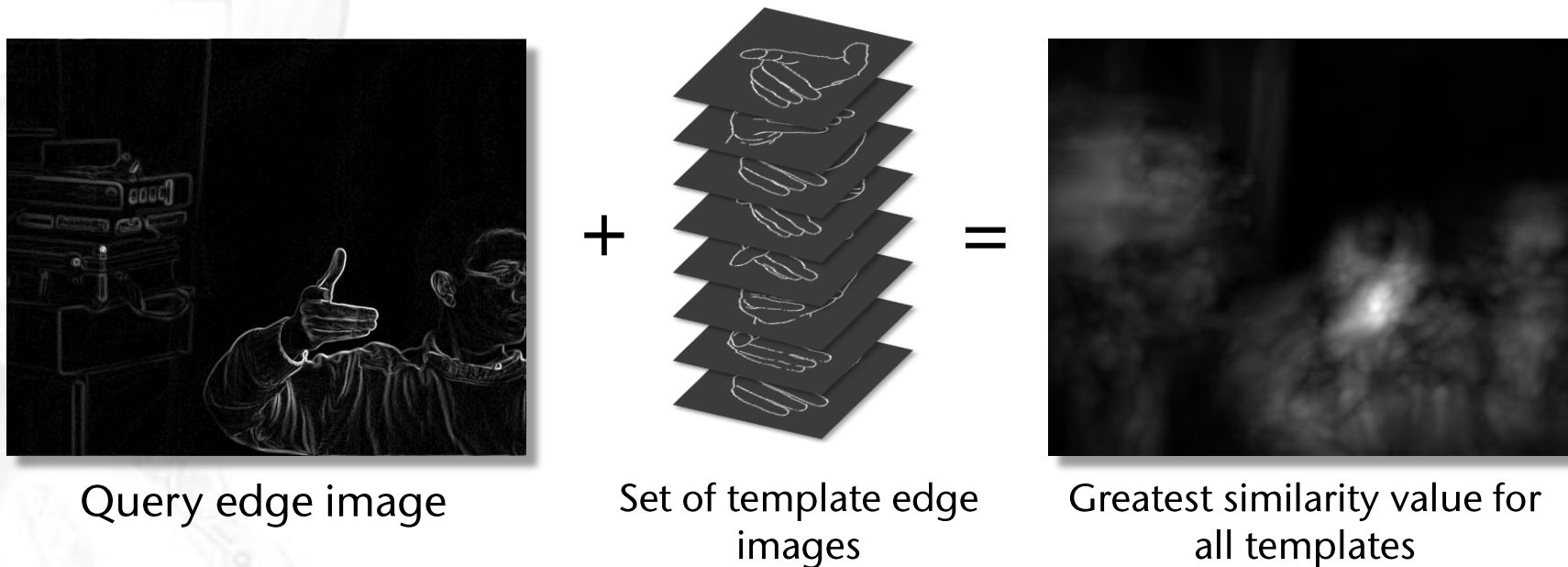
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Goal: Compare Edge Images



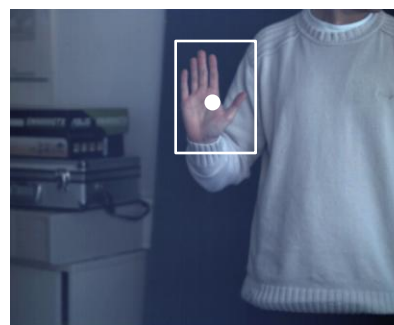
- *for each position in the **query image***
*for each **template***
compute similarity value



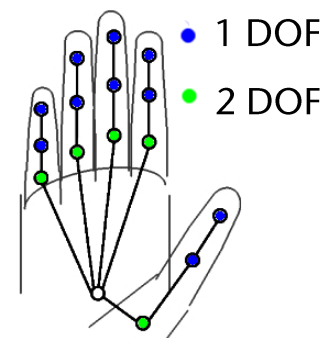
Application: Hand Tracking

- Given an image, estimate hand parameter

- Global position (3 DOF)
- Global orientation (3 DOF)
- Joint angles (20 DOF)



global state



local state

- Tracking approach

- Sample hand parameter space $\theta_1, \dots, \theta_N, \quad \theta_i \in \mathbb{R}^{26}$
- Project hand models onto 2D and **compare** with query image
- Estimate global position by position/scale of the hand in the query image and orientation/joint angles by different templates



Related Work

- Extract binary edges from template T and query image Q

→ Edge pixel sets E_T and E_Q

- Compare edge images by **set distance measure**

- **Hausdorff** distance

$$\mathcal{H}(E_T, E_Q) = \max_{a_i \in E_T} \{ \min_{b_j \in E_Q} \{ d(a_i, b_j) \} \}.$$

- Directed **chamfer distance** [Barrow et al, IJCAI1977]

$$\mathcal{C}(E_T, E_Q) = \frac{1}{|E_T|} \sum_{a_i \in E_T} \min_{b_j \in E_Q} \{ d(a_i, b_j) \}$$

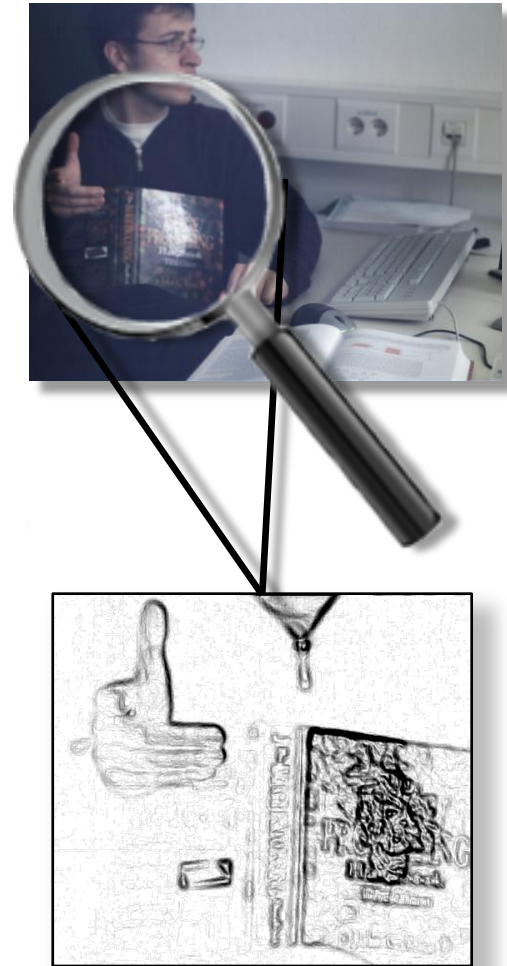
For example used by [Athitsos et al CVPR 2004] and [Gavrila et al, ICCV1999]



- Edge **orientation** significantly improves measure
- Two options are:
 - Split edge sets according to edge orientation and compare sets separately
 - Integrated in chamfer distance by [Stenger et al, PAMI 2006]
 - Replace distance between edge pixel coordinates by sum of the edge coordinate distance and the edge orientation difference
 - Integrated in Hausdorff distance by [Olson et al, ICIP1997]

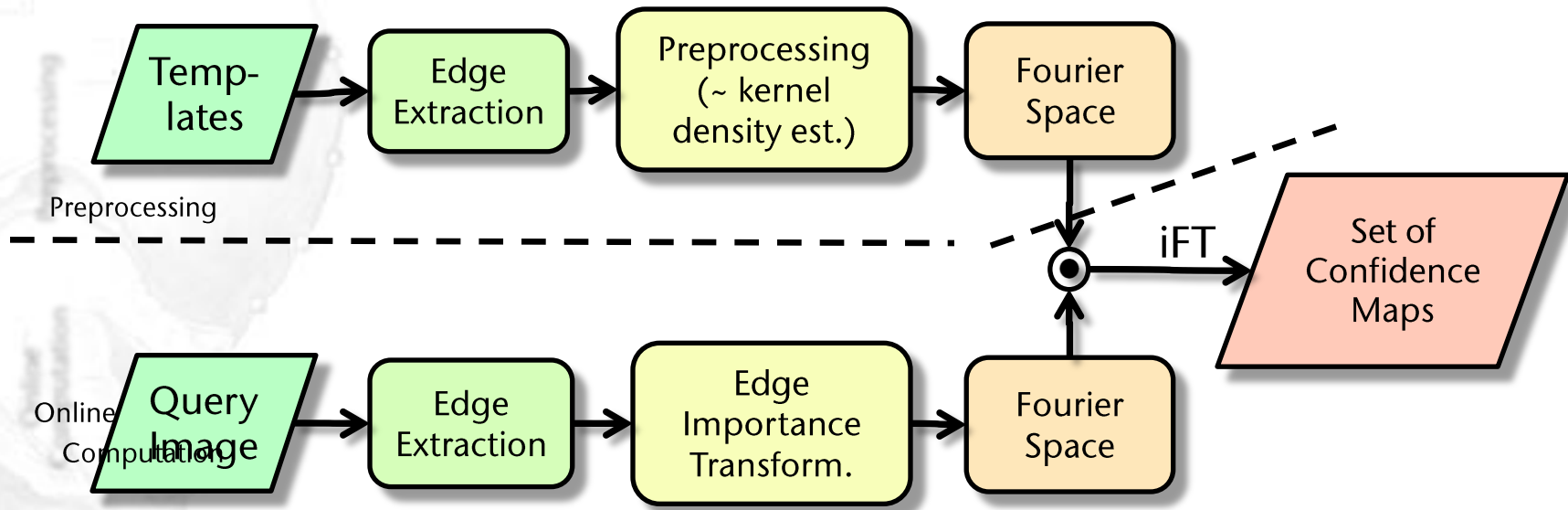
Problems of previous distance measures

- Query image binary edge extraction
 - Uncontrolled conditions
 - Illumination
 - Object and background color
 - Camera parameters
 - Hard to choose good **thresholds** for binary edge extraction
- Include edge orientation:
 - Previous algorithms that use exact orientation are inefficient in computation
 - **Discretization** introduces additional inaccuracy





Overview



■ Our Approach

- No query image related parameters
- Use continuous orientation (no discretization)
- Still fast computation



Our New Similarity Measure

1. Generate **Templates** by a synthetic model

- Conditions known
- Can find good thresholds for binary edge extraction



color buffer



depth buffer

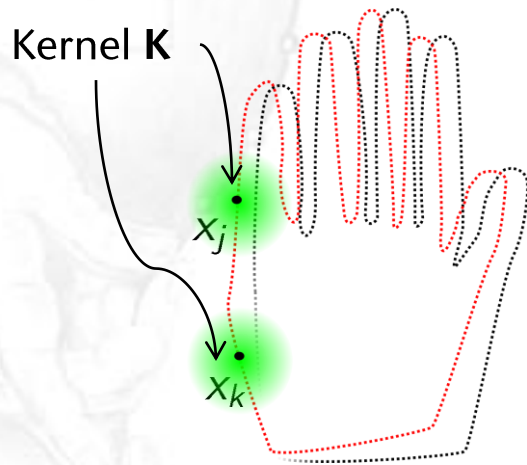
2. **Query image**

- Captured under uncontrolled conditions
- extract edge intensities and orientations
- We need a similarity value at each query image pixel between
 - a **binary edge image (template)** and
 - a **scalar edge image (query)**



Chamfer vs Our Approach

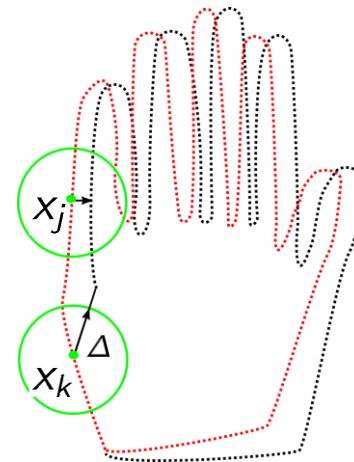
Our matching approach



$$P(\mathbf{x}_i, I_Q) = \frac{1}{N} \sum_{\mathbf{p} \in \mathcal{N}(\mathbf{x}_i)} K\left(\frac{\mathbf{p} - \mathbf{x}_i}{h}\right) I_Q(\mathbf{p})$$

+ Robust against outliers

Truncated chamfer distance



$$\mathcal{C}(\mathbf{x}_i, E_Q) = \min(\min_{b_j \in E_Q} d(\mathbf{x}_i, b_j), \Delta)$$

+ Robust against outliers

- Needs difficult-to-adjust parameters

- Orientation discretized



How to Incorporate Edge Orientation

- Replace scalar multiplication of edge intensities by dot product of edge gradient vector

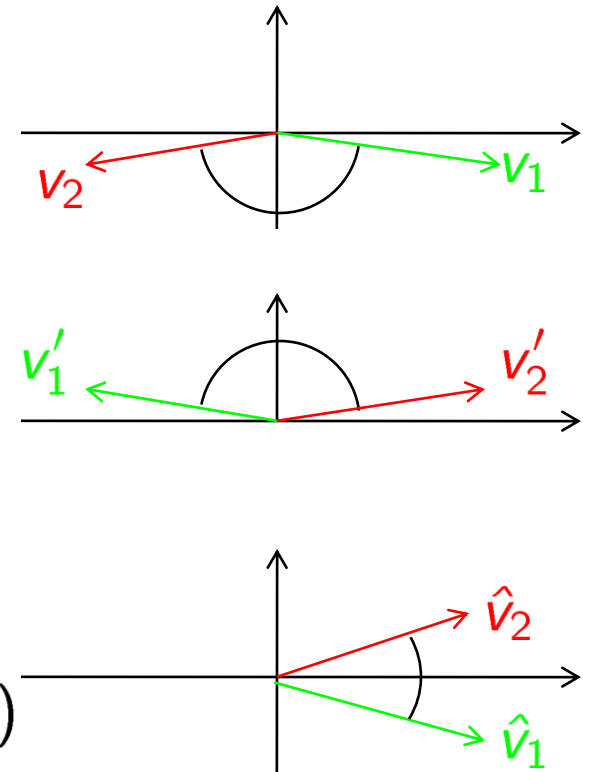
$$P(\mathbf{x}_i, I_Q) = \frac{1}{N} \sum_{\mathbf{p} \in \mathcal{N}(\mathbf{x}_i)} K\left(\frac{\mathbf{p} - \mathbf{x}_i}{h}\right) G_T(\mathbf{x}_i) G_Q(\mathbf{p})$$

- Map edge gradient $\mathbf{v} = (v_x, v_y)$:

$$\theta = \arctan \frac{v_y}{v_x}$$

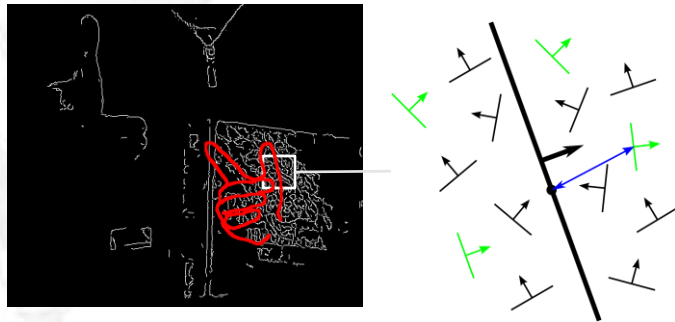
$$\theta' = \begin{cases} \theta & \theta \geq 0 \\ \theta + \pi & \theta < 0 \end{cases}$$

$$\hat{\mathbf{v}} = (\hat{v}_x, \hat{v}_y) = \|\mathbf{v}\|_2 \cdot (\cos(2\theta'), \sin(2\theta'))$$

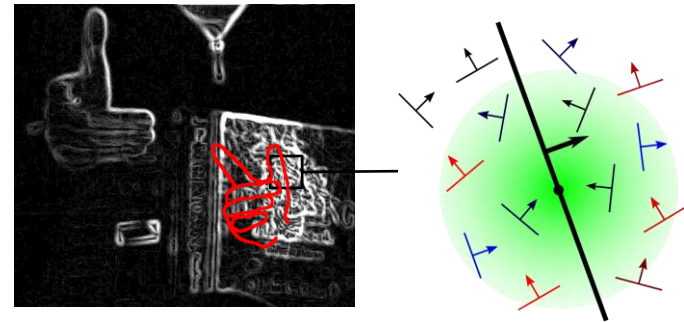


Distance in noisy regions

- Chamfer distance strongly underestimates distance near image noise



- **Chamfer approach** matches to the closest noise edge with similar edge orientation
- low distance
- **wrong**



- **Our approach** sums over the neighborhood
- low similarity
- high distance
- **correct**



Efficient Computation of Our New Measure

- Overall similarity between query image I_Q and template E_T at position \mathbf{O} on the query image

$$\mathcal{S}_{E_T, I_Q}(\mathbf{O}) = \frac{1}{|E_T|} \sum_{\mathbf{x} \in E_T} \frac{1}{N} \sum_{\mathbf{y} \in \mathcal{N}(\mathbf{x})} K\left(\frac{\mathbf{y} - \mathbf{x}}{h}\right) G_T(\mathbf{x}) G_Q(\mathbf{O} + \mathbf{y})$$

- K has limited support \rightarrow

$$= \sum_{\mathbf{y} \in D} \left(G_Q(\mathbf{O} + \mathbf{y}) \underbrace{\frac{1}{|E_T| N} \sum_{\mathbf{x} \in D} I_T(\mathbf{y}) K\left(\frac{\mathbf{y} - \mathbf{x}}{h}\right) G_T(\mathbf{x})}_{\tilde{I}_T(\mathbf{y})} \right)$$

$$D = [1, \text{width}(I_T)] \times [1, \text{height}(I_T)]$$

- \tilde{I}_T depends only on the template and can be precalculated



Efficient Computation (cont.)

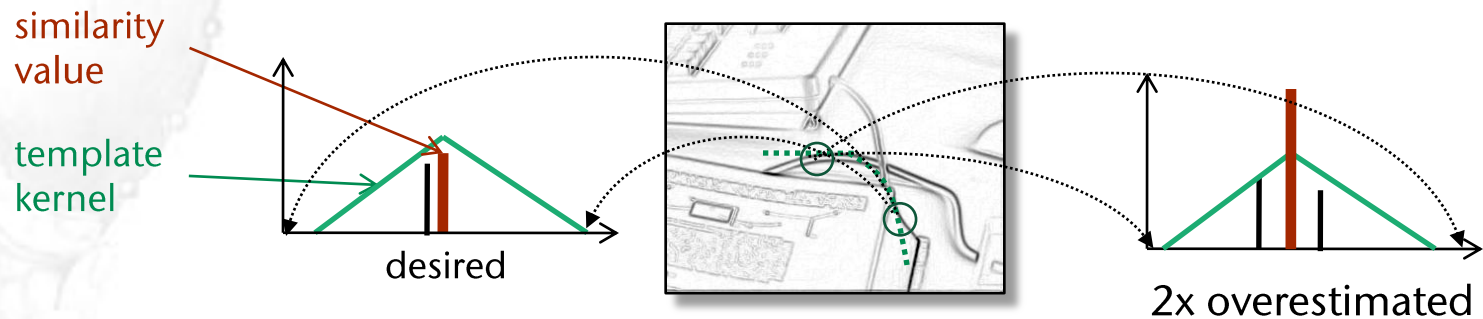
- Finally, we arrive at

$$\mathcal{S}_{E_T, I_Q}(\mathbf{O}) = \sum_{\mathbf{y} \in D} G_Q(\mathbf{O} + \mathbf{y}) \tilde{I}_T(\mathbf{y})$$

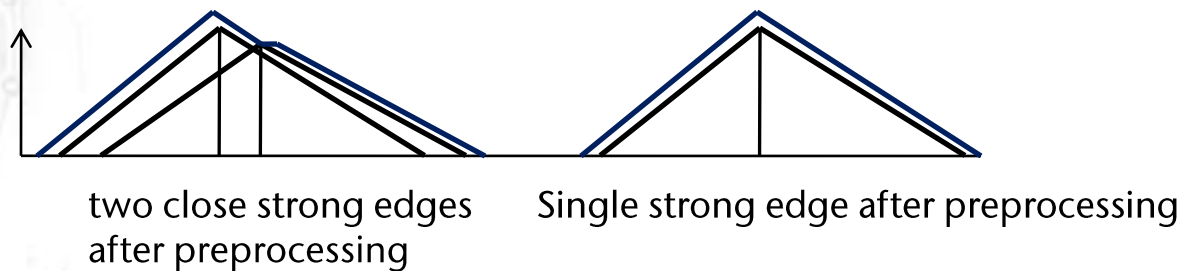
- Computing \mathcal{S} for all positions \mathbf{O} of the query image is a correlation
 - We convert it into a convolution
- Calculate **convolution in Fourier space**
 - Each pixel of G_Q and \tilde{I}_T is a 2D-vectors
 - each component is Fourier transformed separately
 - Linearity of the Fourier transform with respect to addition
 - components added in Fourier space
 - saves one inverse Fourier transform

Correct measure with close parallel edges

- Multiple parallel edges very close to each other



- To overcome this problem we preprocess the query image
 - Apply kernel function to edge intensities
 - Edge intensity \leftarrow max of neighborhood intensities





Implementation Details

- Our approach is well suited for implementation in the **stream processing model**
- We use the Cuda library from Nvidia
- Query image uploaded to GPU as delivered by frame grabber
 - Image stored as texture, because texture access optimized for consecutive access to neighboring pixels
 - Edge gradient calculation and all preprocessing done efficient on GPU
- Templates are preprocessed and Fourier transformed offline
 - uploaded to graphics hardware at initialization

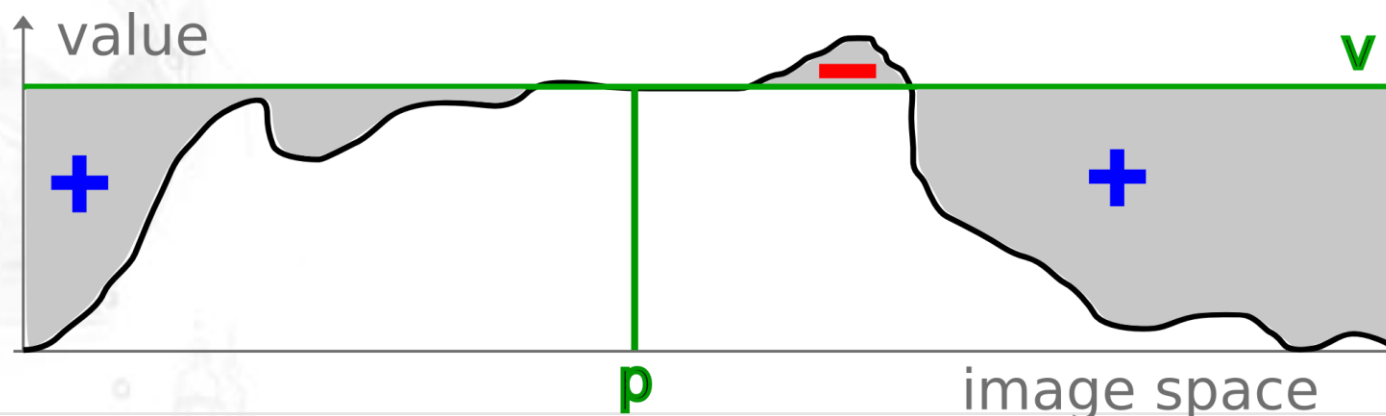


Results: Evaluation of our Method

- Given m templates, generate for each template a confidence map
 - Generate at each position in the query image a similarity value between template T_k and I_Q
 - Confidence Map $\mathcal{S}(k, x, y)$
- At each position in query image, find the template best matching at the appropriate window
 - Combined Confidence Map
$$\mathcal{S}(x, y) = \max_{i \in [1, m]} \{\mathcal{S}(i, x, y)\} .$$
- Measure the quality of the template matching approach by evaluating the combined confidence map

- Good similarity measure is characterized by
 - As little values as possible are higher then the value at the correct hand position \mathbf{P}
 - Difference between the value at the correct hand position \mathbf{P} and values at other positions should be as high as possible

$$Q = \frac{1}{N} \sum_{\substack{0 \leq x < W_Q \\ 0 \leq y < H_Q}} (\mathcal{S}(\mathbf{P}) - \mathcal{S}(x, y))$$





Datasets

- **Pointing hand**
(2 translational, 2 rotational)
 - 300 templates: different viewpoints
- **Open hand**
(2 translational, 2 rotational)
 - 300 templates: different viewpoints
- **Hand open-closing**
(2 translational, abduction, flexion)
 - 300 templates: different joint angles



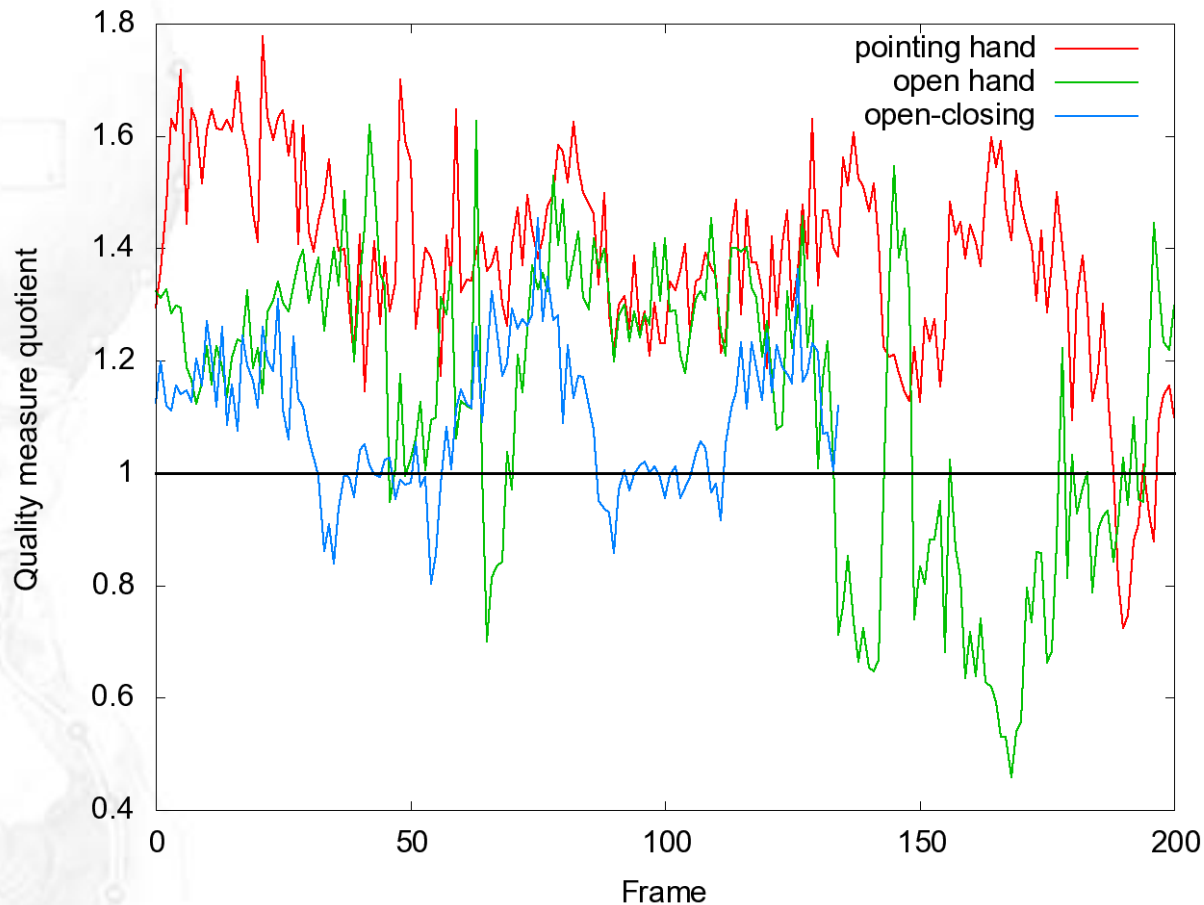


Performance

- Hardware setup
 - AMD Athlon X2 Dual, 2GB RAM
 - Geforce 8800 GTX, 768 MB RAM
- Input
 - Query image resolution 320x256
 - Average template resolution 80x80
- We can generate 330 confidence maps/second (full compare 330 templates with a query image)



Comparison with Chamfer matching



- quality measure quotient between **our approach** and truncated **chamfer** w/ 6 orientation channels
- we *manually optimized* threshold values for chamfer matching



Videos

Original image	Best matching template calculated by our approach
Combined Confidence Map: chamfer matching	Combined Confidence Map: our approach

Video panel contents



Pointing hand



Open hand



Open-closing hand



Conclusions

- Robust and fast method to compare edge images
 - No query image related parameters
 - Incorporate continuous edge orientation
- Well suited for stream processing model
 - Implemented on graphics hardware
 - 330 confidence maps per second
- Our method can easily be combined with other template matching approaches such as color region overlapping
- Our application: tracking of the human hand



Future work

- Anisotropic kernel functions
 - Higher variance along edge gradient
- Asymmetric kernel functions
 - Different weights at hand inner/outer regions
- Automatically determine kernel parameters



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